



## Lecture #5 of 15

(3: TThF, 5: MTWThF, 4: MTWTh, 2: TW)

Prof. Shane Ardo  
Department of Chemistry  
University of California Irvine

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## Chemical Properties

Prof. Shane Ardo  
Department of Chemistry  
University of California Irvine

**Quiz Time!**

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## Chemical Properties

- Molecular nomenclature, Solutions, Balanced chemical reactions
- State functions, Standard states, Thermochemistry
- Non-ideal gases, Intermolecular forces, Physical properties, Phase changes, Colligative properties, Water activity
- Free energy, (X)Chemical potential, Chemical equilibrium, van't Hoff equation, Activity coefficients, Le Chatelier's principle
- Schrödinger equation, Internal energy, Atomic orbitals, Hybridization
- Valence bond theory, Molecular orbital theory, Band diagrams
- Crystal field theory, Ligand field theory

Great online resource: [http://www.rnlkwc.ac.in/pdf/study-material/chemistry/Peter\\_Atkins\\_Julio\\_de\\_Paula\\_Physical\\_Chemistry\\_1\\_.pdf](http://www.rnlkwc.ac.in/pdf/study-material/chemistry/Peter_Atkins_Julio_de_Paula_Physical_Chemistry_1_.pdf)

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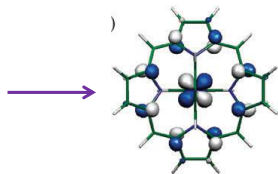
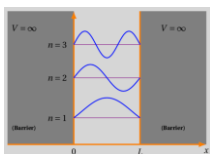
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## From a Simple Box to a Complex Box

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<https://daniloroccatano.blog/2020/02/17/the-one-dimensional-time-independent-schrodinger-equation/>  
[https://www.semanticscholar.org/paper/Saddle-shaped-six-coordinate-iron\(iii\)-porphyrin-Cheng-Chao/f057b748f8ddb4217eda70ea6725299910d77fc](https://www.semanticscholar.org/paper/Saddle-shaped-six-coordinate-iron(iii)-porphyrin-Cheng-Chao/f057b748f8ddb4217eda70ea6725299910d77fc)



## Schrödinger Equation

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Elegant master equation that allows one to determine internal energies,  $E_n$ , of a system

$$\hat{H}\psi_n(x) = E_n\psi_n(x)$$

... but this is not good enough for photochemists, or physicists, where time-varying oscillating electromagnetic fields often interact with matter...

$$\hat{H}\Psi_n(x, t) = i\hbar \frac{\partial}{\partial t} \Psi_n(x, t)$$

$E = h\nu = \hbar\omega$  (Planck)  
 $E = mc^2 = pc$  (Einstein)  
 $p = \frac{h\nu}{c} = \frac{h}{\lambda} = \hbar k$  (de Broglie)

... so, how does one solve either of these Schrödinger equations?... We need to know  $\hat{H}$ !

$$\hat{H} = \hat{T} + \hat{V}$$

... um... well that didn't really help us at all... anyway, so instead, we need to know  $\hat{T}$  and  $\hat{V}$ ?

$$\hat{T}(x) = KE = \frac{1}{2}m\hat{v}^2 = \frac{\hat{p}^2}{2m} \dots \text{with } (\hat{p}) \text{ momentum} = (m)\text{mass} \times (\hat{v})\text{velocity} = -i\hbar \frac{\partial}{\partial x} \dots$$

$$\hat{V}(x) = PE = 0 \dots \text{for particle-in-a-box} \dots$$

$$\hat{V}(x) = \frac{1}{2}k_f x^2 = \frac{1}{2}m\omega^2 x^2 \dots \text{for harmonic oscillator, with } k_f \text{ (force const), } \omega \text{ (angular freq.)} \dots$$

$$\hat{V}(r) = -\frac{q^2}{4\pi\epsilon_0 r} \dots \text{for Hydrogen atom, with } F = qN_A \text{ (Faraday const), } \epsilon_0 \text{ (vacuum permittivity)}$$

... let's examine the hydrogen atom in more detail... because it seems like it may be fairly important to chemists ☺



## Solving the Schrödinger Equation

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So, let's solve the Schrödinger equation using the Hamiltonian for the hydrogen(ic) atom...

$$\hat{H} = \hat{E}_{K,\text{electron}} + \hat{E}_{K,\text{nucleus}} + \hat{V} \dots \text{which can be written for the motion of the electron with respect to the nucleus using the reduced mass, } \mu, \text{ as...}$$

$$= -\frac{\hbar^2}{2m_e} \nabla_e^2 - \frac{\hbar^2}{2m_N} \nabla_N^2 - \frac{Ze^2}{4\pi\epsilon_0 r} \quad \frac{\hbar^2}{2\mu} \nabla^2 \psi - \frac{Ze^2}{4\pi\epsilon_0 r} \psi = E\psi \quad \frac{1}{\mu} = \frac{1}{m_e} + \frac{1}{m_N}$$

... the solutions to this equation are separable into radial ( $R$ ) and angular ( $Y$ ) components...

$$\dots \text{and thus two equations } \dots \Lambda^2 Y = -l(l+1)Y \quad \psi(r, \theta, \phi) = R(r)Y(\theta, \phi)$$

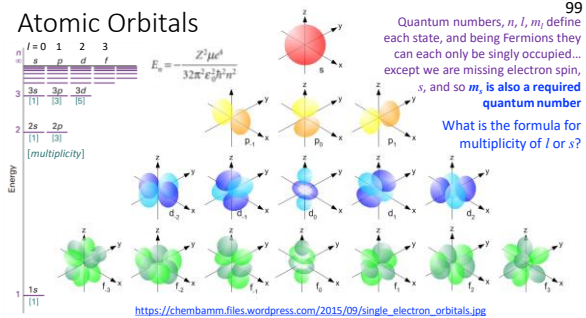
$$-\frac{\hbar^2}{2\mu} \frac{d^2 u}{dr^2} + V_{\text{eff}} u = Eu \quad u = rR \quad V_{\text{eff}} = -\frac{Ze^2}{4\pi\epsilon_0 r} + \frac{l(l+1)\hbar^2}{2\mu r^2}$$

... solving the bottom radial equation gives **energy eigenvalues,  $E_n$ , with  $n \geq 1$ ...**

... and solving the top spherical harmonics equation gives **angular momentum eigenvalues,  $l = [0, \dots, n-2, n-1]$ , with discrete projections on the z-axis,  $m_l = [-l, -l+1, \dots, 0, \dots, l-1, l]$**



## Atomic Orbitals




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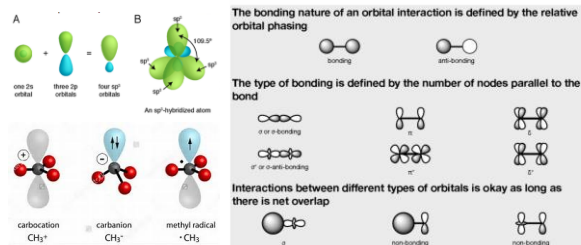
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## Valence Bond Theory and Orbital Hybridization




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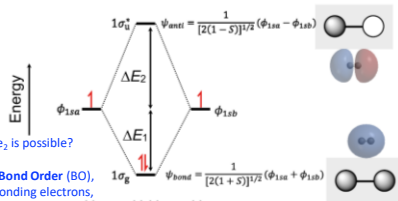
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## Molecular Orbital Theory

**H<sub>2</sub> molecule: two 1s atomic orbitals combine to make one bonding and one antibonding molecular orbital.**




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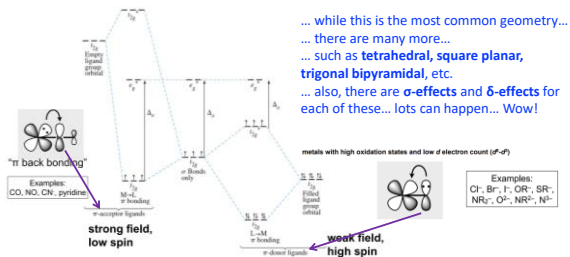
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## Ligand Field Theory

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 $\pi$ -Effects in Octahedral Complexes


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Chemical Properties (*summary for today*)

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- Free energy, (X)Chemical potential, Chemical equilibrium, van't Hoff equation, Activity coefficients, Le Chatelier's principle
- **Schrödinger equation, Internal energy, Atomic orbitals, Hybridization**
- **Valence bond theory, Molecular orbital theory, Band diagrams**
- **Crystal field theory, Ligand field theory**

Paper Time!

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