

UCI CHEM267 – Photochemistry, Spring 2023

# Lecture #3 of 12

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# Review of Physical Chemistry

Prof. Shane Ardo Department of Chemistry University of California Irvine

#### ... okay... now let's try this again...

## Förster Cube and Square Schemes



(REVIEW) 56

... all of these free energy terms are standardstate free energies ( $\Delta G^{\circ}$ )... but what is the actual free energy of the system ( $\Delta G$ )?

... let's assume that  $\Delta G = 0$  (equilibrium)... how could I indicate that on this slide, as a point(s), to depict the majority species present?

... now, how can one **push/pull** this system out of equilibrium?

... recall Le Châtelier's principle... and thus by addition of reactants or removal of products... such as mass <u>or light</u>!

... hopefully this made a little more sense this time around... and if not, let's keep on trying!

Z. R. Grabowski & W. Rubaszewska, J. Chem. Soc. Faraday Trans. 1, 1977, 73, 11–28

## Today's Critical Guiding Question

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What thermodynamic term indicates whether a processes will net occur, or not, for a chemical reaction, and a single species... and uniquely for today, how does it allow us to quantitatively predict kinetic information?

### Review of Physical Chemistry

- Photochemical applications
- Förster cube, Square schemes
- Thermodynamics versus Kinetics
- Schrödinger equation, Internal energy
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- Solid-state physics terminology
- Continuity of mass
- Mass action, Microscopic reversibility
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### Solid-State Physics Terminology



(UPDATED) 58



... is this most relevant to internal energy (Schrödinger equation) or free energy (reactivity)?

#### $\overline{\mu}_{i}^{\alpha} = \left(\frac{\partial G}{\partial n_{i}}\right)_{T,p,n_{j\neq i}}$ 60 Solid-State Physics Terminology 439 $Si_{CB}(h^+) + Si_{VB}(e^-) \Longrightarrow Si_{CB}(e^-) + Si_{VB}(h^+)$ $p = n_i e \frac{q (\psi - \psi)}{kT}$ i=n\_ie<mark>q (%)-p)</mark> RAND p = n; At equilibrium, $\mathbf{E}_{\mathrm{F},\mathrm{e}^-} = \mathbf{E}_{\mathrm{F},\mathrm{h}^+}$ $\bar{\mu}_{CB(h^+)}^{Si} + \bar{\mu}_{VB(e^-)}^{Si} = \bar{\mu}_{CB(e^-)}^{Si} + \bar{\mu}_{VB(h^+)}^{Si}$ HCR(e- $\bar{\mu}_{CB()}^{Si}$ $\mathbf{E}_{\mathrm{F},\mathrm{e}^-} = \mathbf{E}_{\mathrm{F},\mathrm{h}^+}$ As reference states, it is useful to define $\bar{\mu}_{CB(h^+)}^{Si} = \bar{\mu}_{VB(e^-)}^{Si} = 0$ E<sub>F,h</sub>+ - Junto ... you can define up to one more $\bar{\mu}_i^{Si}$ , but the last $\bar{\mu}_i^{Si}$ has to be defined based on n = n; q(\$-9 calorimetry data Ugh, let's flip this $\mathbf{E}_{\mathrm{F},\mathrm{e}^{-}} = \bar{\mu}_{\mathrm{e}^{-}}$ (a) INTRI (b) p-TYPE Anyway... therefore, reis ø, a $\bar{\mu}_{CB(e^-)}^{Si} = -\bar{\mu}_{VB(h^+)}^{Si}$ $\mathbf{E}_{\mathrm{F},\mathrm{h}^+} = -\bar{\mu}_{\mathrm{h}^+}$ $\mathbf{E}_{\mathrm{F},\mathrm{e}^-} = \mathbf{E}_{\mathrm{F},\mathrm{h}^+}$ N. Shockley, The Bell System Technical Journal, 1949, 28, 435–489

#### ... okay... now let's try this again<sup>2</sup>... Förster Cube and Square Schemes

#### (RECALL) 61



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#### ... and again...

### (UPDATED/REVIEW) 62

... but a main benefit of **thermodynamics**  $(\Delta G_j^0; \overline{\mu}_i^0)$  is to predict **kinetics**  $(k_{jf}, k_{jb}; D_i)$ ...

... energetics from thermodynamics dictate equilibrium concentrations...

Thermodynamics versus Kinetics

... but it is the kinetic (and transport) properties that influence how those conditions change

 $\partial c_{\underline{A,z_0}} =$ upon perturbation... ∂NA rate of change of the molar  $R_{\mathrm{A},j}$ flux (N) of species A with Thus (N) of species A with respect to position (z), e.g.  $N_A = -D_A \frac{\partial a_A}{\partial z}$ (to a first order, this is driven by differences in electrochemical potential,  $\bar{\mu}_i$ , of <u>a single</u> species) **−**, ↑ дz ∂t rate of change of the (c)oncentration of species A with respect mass action (R)ate laws that effect species A, to (*t*)ime, <u>in units of</u> e.g.  $R_A = k_3 a_B a_C^2 \approx k_3 [B][C]^2$ (to a first order, this is driven by differences in <u>chemical potential</u>, M s<sup>-1</sup> (mol dm<sup>-3</sup> s<sup>-1</sup>)  $\mu_i$ , of various species,  $\Delta G_i$ )

... this master equation describes all kinetic and transport processes... let's go over it in more detail...





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### 1D Transport in Liquids (solids are simpler)

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 $\frac{\partial c_{\mathrm{A},z_{\mathrm{O}}}}{\partial t} = -\frac{\partial \mathbf{N}_{\mathrm{A}}}{\partial z}$ (MechEs should be yawning)



... there are many driving forces for flux of species... ... convection (*vc*) is just one (e.g., *dT/dx*)

What are the directions for the dimensions of  $D_A$ ?

Group terms... then mass transfer resembles mass action (assume v = 0 for simplicity)...

 $\mathbf{N}_{\mathrm{A}} = -\boldsymbol{D}_{\mathrm{A}} \frac{\partial \left( \overline{\boldsymbol{\mu}}_{\mathrm{A}} \right)}{\partial z} c_{\mathrm{A}}$ 

BOLD ((cm²/s) / cm) = cm/s... a velocity! ... and with ∂/∂z' units are s<sup>-1</sup>... an inverse time constant! ... and that equals zero at steady state

(Recall that...  $R_{A,total} = -k'_f c_A + k'_b c_B...$  with  $k'_j$  (s<sup>-1</sup>), an inverse time constant!)



A hybrid internal energy / free energy diagram shows several useful things at once, but (possibly usefully) glosses over details of other transport processes... let's see which ones...

67 1D Transport in Solids (liquids are "harder")  $\left(\frac{\partial G}{\partial n_i}\right)_{T,p,n_{j\neq i}} = \overline{\mu}_i = \mu_i + z_i q \phi$ Let's expand Flux<sub>z,e</sub> =  $-\frac{\sigma_e}{F^2} \frac{d\overline{\mu}_e}{dz} - S_{e,\overline{T}_e} \frac{dT_e}{dz}$ the total differential...  $Flux_{z,e} = -\frac{D_e n_e}{kT_e} \left( \frac{d\mu_e}{dz} - q \frac{d\Phi}{dz} \right) - S_{e,T_e} \frac{dT_e}{dz}$  $\mu_i = \mu_i^0 + kT_i \ln a_i = \mu_i^0 + kT_i \ln \left(\frac{\gamma_i n_i}{n_i^0}\right)$ ... assuming a species, *e*, with valency, *z<sub>e</sub>*, equal to -1  $n_i$  is proportional to  $c_i$  in a single phase... di  $+\frac{kT_e}{\gamma_e}\frac{d\gamma_e}{dz}$  $+\frac{kT_e\,dn_e}{n_e\,dz}-\frac{kT_e\,dn_e^0}{n_e^0\,dz}+k\left(\ln\frac{\gamma_en_e}{n_e^0}\right)\frac{dT_e}{dz}-q\,\frac{d\phi}{dz}\right)-S_{e,T_e}\frac{dT_e}{dz}$  $Flux_{z,e} = -$ ... other species may have different values for every term, except  $\phi$  $\frac{n_e}{\gamma_e}\frac{d\gamma_e}{dz} + \frac{dn_e}{dz} - \frac{n_e}{n_e^0}\frac{dn_e^0}{dz} + \frac{n_e}{T_e}\left(\ln\frac{\gamma_e n_e}{n_e^0}\right)\frac{dT_e}{dz} - \frac{qn_e}{kT_e}\frac{d\Phi}{dz}\right) - S_{e,T_e}\frac{dT_e}{dz}$  $Flux_{z,e} = -D_e \left(\frac{1}{D_e}\right)$ T. dz  $Flux_{z,e} = -D_e \frac{dn_e}{dz} + \frac{qD_e n_e}{kT_e} \frac{d\Phi}{dz}$ ... assuming spatially invariant  $\mu_{e}^{0}, \gamma_{e}, n_{e}^{0}, T_{e}$ Drift-Diffusion  $\operatorname{Flux}_{z,e} = -D_e n_e \left( \frac{d\mu_e^o}{kT_e \, dz} + \frac{d(\ln \gamma_e)}{dz} + \frac{d(\ln n_e)}{dz} - \frac{d(\ln n_e^o)}{dz} - \frac{d(q\phi)}{kT_e \, dz} \right) - D_{n_e, \gamma_e, n_e^o, T_e} \frac{dT_e}{dz}$ equation







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